Faculty of Engineering<br>Prince of Songkla University

Final Examination $1^{\text {st }}$ Semester 2003

Subject: 220-361 Survey II
Date: October $5^{\text {th }}, 2003$

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Time : 9:00-12:00 ( 3 Hrs.)
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## Instructions

1) There are 5 problems in the examination. (100 points)
2) Attempt all problems.
3) Books and Notes are not allowed.
4) Student may use an electronic calculator.
5) Student may bring in a dictionary.
6) From the spherical triangle PZS of an Astronomical Triangle, $P$ is the North Celestial Pole, Z is the observer Zenith and S is the celestial body (the star).

Using the principles of spherical trigonometry, show that.

$$
\cos Z=(\sin \delta / \cosh \cos \Phi)-\tanh \tan \Phi .
$$

Where

And $\quad Z \quad=$ azimuth of the star. (15 points)
2) An entering grade of $-2.75 \%$ meets a departing grade of $+1.25 \%$ at station $18+050 \mathrm{~km}$. the two grades intersect at the elevation of 123.190 m . above mean sea level. If these two grades are connected by a 300-m equal tangent parabolic curve, compute the elevation of points BVC, EVC and all full stations for every 20 m . Also determine the elevation and the location of the point where the drainage pipe should be placed. (20 points)
3) It is desired to compute the strength of the quadrilateral $A B C D$, as shown in the sketch, for computation of side $C D$ from known side $A B$ when all lines are observed in both directions. Determine the best route for the computation. (20 points)

4) Given the station of P.I. is $96+03.90 \mathrm{ft}$. The deflection angle $\theta$ is $104^{\circ} 36^{\prime}$. The degree of curve $\mathrm{D}_{\mathrm{a}}$ is to be $12^{\circ} 00^{\prime}$ according to the arc definition (Arc Basis). Stake out the curve at full station by tabulating the deflection angles and chord distances. Using feet as the unit of measurement. (20 points)
5) On October $11^{\text {th }}$, the observed altitude of the sun at the given station $A$ is $31^{\circ} 20^{\prime} 35^{\prime \prime}$ at $14^{\mathrm{h}} 41^{\mathrm{m}} 35^{\mathrm{s}}$ local time. The latitude of the place is $37^{\circ} 52^{\prime} 20^{\prime \prime} \mathrm{N}$ and the longitude is $120^{\circ} \mathrm{W}$. The temperature is $75^{\circ} \mathrm{F}\left(24^{\circ} \mathrm{C}\right)$ and the barometric pressure is 29.3 " Hg. The mean horizontal angle (measured clockwise) from the reference station $B$ to the sun is $60^{\circ} 01^{\prime} 57^{\prime \prime}$. Determine the azimuth of the sun as well as the azimuth of the reference line AB. (25 points)

Hint: GMT $=$ Local Time $+8^{h}$.

