PRINCE OF SONGKLA UNIVERSITY

FACULTY OF ENGINEERING

Final Examination: Semester 1 Academic Year: 2009

Date: 28 July 2009 Time: 09.00-12.00 (3 hours)

Subject Number: 241-530 Room: R201

Subject Title: Parallel and Distributed Computing

Exam Duration: 3 hours

This paper has 13 pages, 6 questions and 120 marks (30%).

Authorised Materials:

• Writing instruments (e.g. pens, pencils).

• Handouts and normal or electronic dictionaries are permitted.

Instructions to Students:

- Scan all the questions before answering so that you can manage your time better.
- Answers must be written in Thai.
- Write your name and ID on every page.
- Any unreadable parts will be considered wrong.

When drawing diagrams or coding, use good layout, and short comments; marks will not be deducted for minor syntax errors.

Cheating in this examination

Lowest punishment: Failed in this subject and courses dropped for next

semester.

Highest punishment: Expelled.

NO	Time (Min)	Marks	Collected	NO	Time (Min)	Marks	Collected
1	40	32		5	40	25	
2	20	18		6	40	25	
3	10	10				11 1	
4	10	10		Total	150	120	

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Question	- 1
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(32 marks; 40minutes)

a) What are the differences between *parallel computing* and *serial computing*. (6 marks)

Parallel computing	Serial computing

b) What are the differences between *communication* and *synchronization*? (4 marks)

Communication	Synchronization

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~ <i>)</i>	and inform the tradeoffs.	lization, tell when to choose which meth (4 marks)
	·	
d)	What are the differences between Uniform Memory Access (NUMA)?	Iniform Memory Access (UMA) and N (8 marks)
	UMA	NUMA

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e) Compare Shared Memory and Distributed Memory architecture? (10 marks)

Shared Memory	Distributed Memory

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Question 2 (18 marks; 20 minutes)

Ex tra	x plain and deoffs.	draw	the	following	Switched	Network	Topologies,	and	tell	their
a)	2D Mesh	Netwo	rk							

b)	Crossbar	Networ	k							
c)	Multistag	e Netw	ork							
					-					
							11.2			
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d)	Hypercube Network	
_		
e)	Tree Network	
_		
n	Ring Network	
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(10 marks; 10 minutes)

Explain	how	and	what	are	needed	in	implementing	Cache	Cohere	nce in	case	of
following	situat	ions	in ord	ler to	ensure	di	fferent process	ors hav	e same	value fo	or san	ne
address.												

a) Local Shared	Memory			
			,	
b) Distributed Sh	ared Memory			
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Question 4	(10 marks; 10 minutes)
Tell whether the following equations are parallelizable show how to decompose the parts of the equations.	e or non-parallelizable. Also
a) $F(i) = F(i-1) * F(i-2) * F(i-3)$	
b) $F(a) = A(a) + B(a) + C(a)$	
c) $F(j+1) = 5.5 * F(j) + G(j) * H(j)$	
d) $F(n+1) = F(n) * n-1 \text{ if } n > 1 \text{ and } = 1 \text{ if } n = 1$	
e) $F(x,y,z) = (\text{square root of } ((x+y)^{20} - (y-z)^{18}))/xyz$	
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(25 marks; 40 minutes)

From the following code fragments, 1) explain how the code will be processed, 2) check if there is something wrong with the code, and c) correct it or suggest a better code.

a)	
į	if(A > B)
i	pthread_mutex_lock (&myLock);
	B=A;
i	pthread_mutex_unlock (&myLock);
b)	
	#pragma omp parallel for
Ĵ	for $(i = 0; i < N; i++)$
	a[i] = b[i] + c[i];
f	For $(i = 0; i < N; i++)$
	a[i] = a[i] *2;
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c)	
	#pragma omp parallel private(i,j)
	for $(i = 0; i < m; i++)$ {
	x = a[i];
	y = b[i];
	$if (x == y) \{$
	#pragma omp single
	printf ("Exiting (%d)\n", i);
	break;
	}
	#pragma omp for
	for (j = x; j < y; j++)
	c[j] = (c[j] - a[i])/b[i];
	<i>}</i>
	·
 .	

d)	
	#pragma omp parallel for private(x)
	for $(i = 0; i < n; i++)$ {
	x = i *n;
	#pragma omp critical
	y += x;
	}
e)	
	#pragma omp parallel sections
	{
	#pragma omp section
	v = F();
	#pragma omp section
	w = G();
	#pragma omp section
	y = H(t);
	}
	,
,	

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(25 marks; 40 minutes)

Find the best way to parallelize the following code fragment, explain how by using pictures or diagrams where it is possible.

For $i = 1$ to 10	
For $j=1$ to 1000	
For $k=1$ to 5	
$F(i, j, k) = (A(i)^{k} / B(j))$	
When A and B are 1D arrays and F is a 3D array.	
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