

**PRINCE OF SONGKLA UNIVERSITY  
FACULTY OF ENGINEERING**

Mid-Term Examination: Semester I  
Date: 3 August 2010  
Subject: 241-552 Computer and Queueing Networks

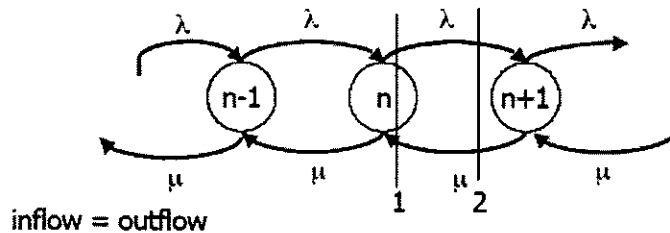
Academic Year: 2010  
Time: 13.30 – 15.30 (2 hrs)  
Room: S203

ทฤษฎีในการสอบ โทษขั้นต่ำคือ ปรับตกในรายวิชาที่ทฤษฎี และพักการเรียน 1 ภาคการศึกษา

- In this exam paper, there are FOUR questions, 12 pages (including cover page). Answer ALL questions,
- All notes and books are **not** allowed,
- Answers could be either in Thai or English,
- Any calculators are not allowed.

1. Explain the following terms clearly (20 Marks)

1.1 Below is a birth-death process, at equilibrium, write down balance equations at 1 and 2 (3 Marks)

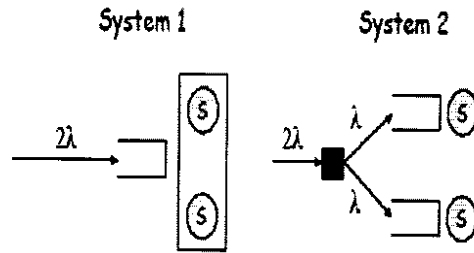


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 .....1: .....  
 .....2: .....  
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1.2 What are the differences between Poisson and Exponential Distributions? (3 Marks)

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1.3 There are 2 systems below: System 1 and System 2. Which one gives a better performance in terms of waiting time, and number of packet in queue. Why? (4 Marks)



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1.4 Queue delay, service delay, time delay in a system, packet delay of arrivals, (5 Marks)

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1.5 From the graphs shown below, please use your knowledge to explain, interpret, and/or compare to each other (as much as you can): (5 Marks)

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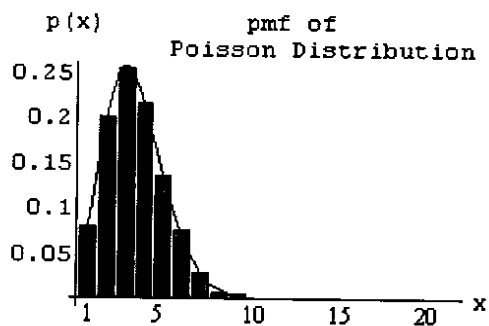
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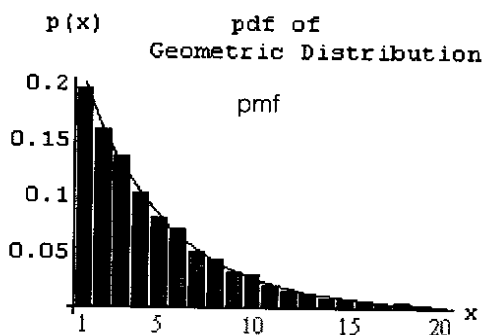
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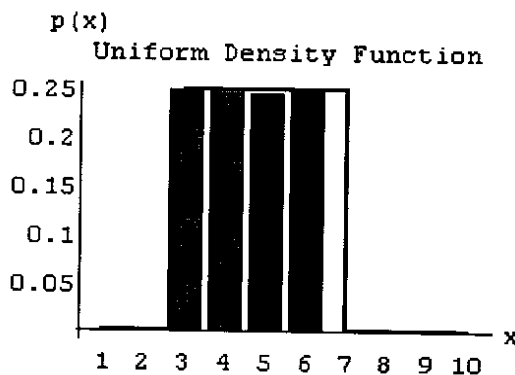
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(a)



(b)



(c)

2. One particular Pizza restaurant in Hatyai City has an average customer arrival at 100 per hour. This restaurant has only one service counter which be able to server 120 customers per hour in average. Each customer takes 30 seconds (average) to be served at the counter. By using M/M/1 model:
  - a. How much time each customer spend in the restaurant? (3 Marks)
  - b. How much time each customer wait in line? (3 Marks)
  - c. How many (an average) customers are in the restaurant (2 Marks)?
  - d. How busy is the restaurant counter? (2 Marks)

Repeat all above questions by using M/D/1.

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system that transmits at  $R=1$  Mbps and with reaction time of 1 msec for channels with a *bit error rate* of  $10^{-6}$ ,  $10^{-5}$ , and  $10^{-4}$  (be careful, these are not probability of frame loss). (10 Marks)

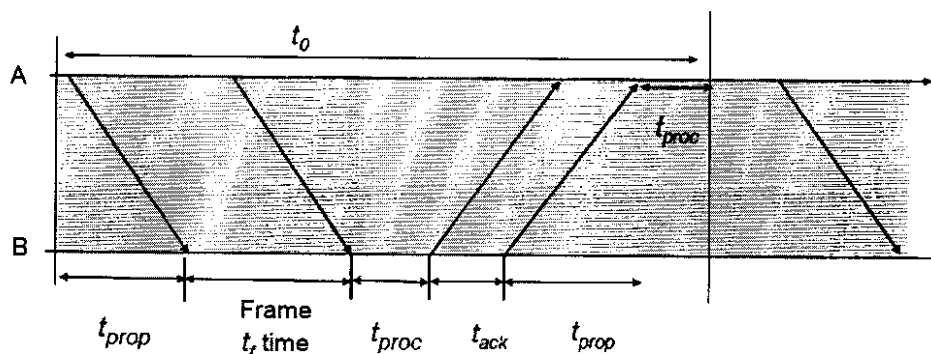


Figure 1 Delay components of Stop-and-Wait ARQ

- The basic time to send a frame and receive an ACK, in the absence of errors, is given by

$$\begin{aligned} t_0 &= 2t_{prop} + 2t_{proc} + t_f + t_{ack} \\ &= 2t_{prop} + 2t_{proc} + n_f/R + n_a/R \end{aligned}$$

Where

$n_f$  = number of bits in the information frame

$n_a$  = number of bits in the ack frame

$R$  = bit rate of the transmission channel

- \*\* The effective information transmission rate of the protocol in the absence of errors

$$R_{eff} = (n_f - n_0)/t_0$$

Where  $n_0$  = number of overhead bits in a frame (given by the total number of bits in the header and the number of CRC bits)

- Let  $P_f$  be the probability that a frame transmission has errors and needs to be re-transmitted.
- The probability of no error frames is  $1 - P_f$

Stop-and-Wait ARQ on average requires  $t_{SW} = t_0 / (1 - P_f)$  seconds to get a frame through. Thus the efficiency of Stop-and Wait ARQ with packet loss is:

$$\eta_{SW} = \frac{n_f - n_a}{R t_{SW}} \quad \eta_{SW} = \frac{1 - \frac{n_0}{n_f}}{1 + \frac{n_a}{n_f} + \frac{2(t_{prop} + t_{proc})R}{n_f}} (1 - P_f)$$







The following information may be useful when students have to deal with queueing theory.

- **M/M/1**

- **Number of Customers in the system in steady state**

$$L = \frac{\rho}{1-\rho}$$

where  $L$  is the number of customers in the system in steady state,  
 $\rho$  is the utilisation factor or traffic intensity

- **The mean queue length in steady state**

$$L_q = \frac{\rho^2}{1-\rho} \quad \text{or} \quad L_q = \frac{\lambda^2}{\mu(\mu-\lambda)}$$

where  $L_q$  = mean queue length in steady state  
 $\lambda$  = average arrival rate  
 $\mu$  = average service rate

- **Mean waiting time in the queue in steady state**

$$W_q = \frac{\lambda}{\mu(\mu-\lambda)}$$

where  $W_q$  is the mean waiting time in the queue in steady state

- **M/D/1**

- **Number of Customers in the system in steady state**

$$L = \rho + \frac{\lambda^2}{2\mu^2(1-\rho)}$$

where  $L$  is the number of customers in the system in steady state,  
 $\rho$  is the utilisation factor or traffic intensity  
 $\mu$  = average service rate

- **The mean queue length in steady state**

$$L = \frac{\lambda^2}{2\mu^2(1-\rho)}$$

- **Mean waiting time in the queue in steady state**

$$L = \frac{\lambda}{2\mu^2(1-\rho)}$$

- **LOG Values:**

log (0.5)	-	0.30
log (0.6)	-	0.22
log (0.7)	-	0.15
log (0.8)	-	0.10
log (0.9)	-	0.05
log (1.0)	-	0.00
log (1.1)		0.04
log (1.2)		0.08
log (1.3)		0.11
log (1.4)		0.15
log (1.5)		0.18
log (1.6)		0.20
log (1.7)		0.23

log (1.8)	0.26
log (1.9)	0.28
log (2.0)	0.30
log (2.1)	0.32
log (2.2)	0.34
log (2.3)	0.36
log (2.4)	0.38
log (2.5)	0.40
log (2.6)	0.41
log (2.7)	0.43
log (2.8)	0.45
log (2.9)	0.46