PRINCE OF SONGKLA UNIVERSITY
FACULTY OF ENGINEERING

Mid-Term Examination: Semester I — Academic Year: 2011
Date: August 2nd, 2011 — Time: (2 hrs)
Subject: 241-542 Queueing and Computer Networks — Room: S 817

ทุจริตในการสอบ โทษขั้นต่ำคือ ปรับตกในรายวิชาที่ทุจริต และพักการเรียน 1 ภาคการศึกษา

- In this exam paper, there are _6_ questions, _14_ pages (including cover page). Answer ALL questions,
- All notes and books are **not** allowed,
- Answers could be either in Thai or English,
- A calculator is allowed.

1. Explain the following terms clearly (20 Marks)

   1.1 The table given below is a comparison of performance evaluation techniques. Please fill all the blanks appropriately (5 marks)

Criterion	Analytical Modelling	Simulation Modelling	Experiment
Time required	**Small**		
Tools			**Instrumentation**
Accuracy		**Moderate**	
Cost			**High**
Scalability	**Low**		

   1.2 What are the differences between Poisson and Exponential Distributions? (3 Marks)

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1.3 Below is M/M/1 waiting time in the system when p (traffic intensity) is varied. Please plot M/D/1 waiting time (5 Marks)

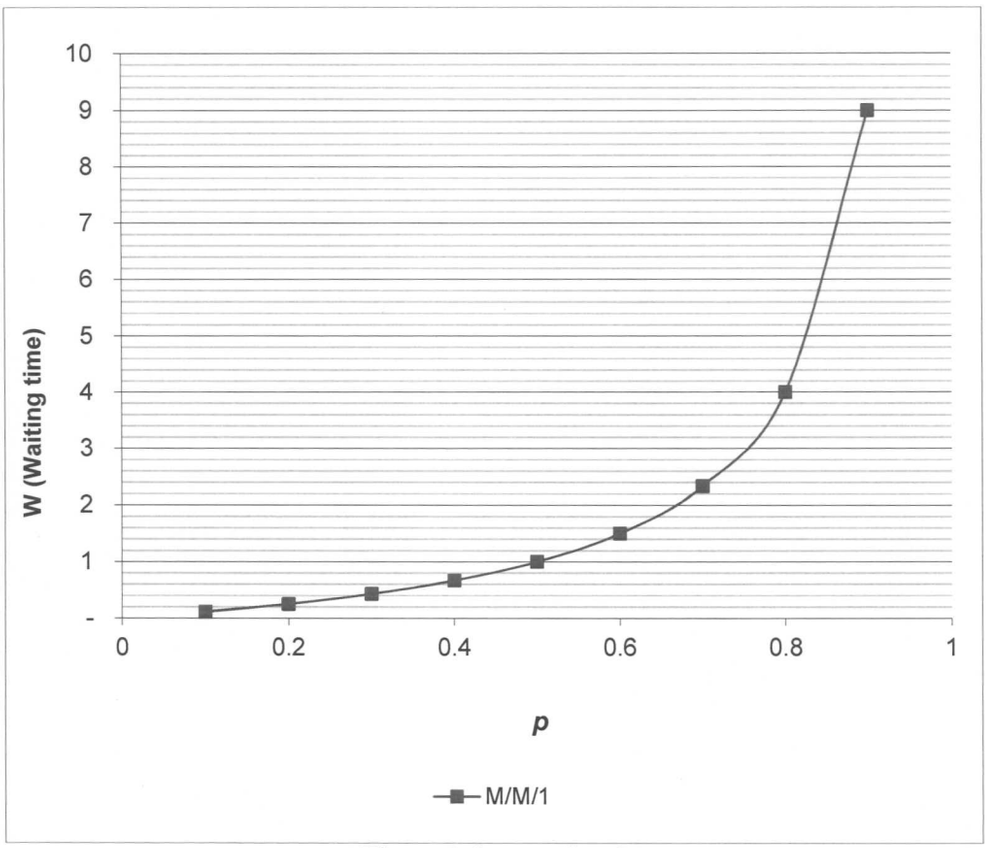

Figure 1 for question 2

1.4 Please describe: Queue delay, service delay, time delay in a system, packet delay of arrivals, (5 Marks)

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1.5 From the graphs shown below, please use your knowledge to explain, interpret, and/or compare to each other (as much as you can): (5 Marks)

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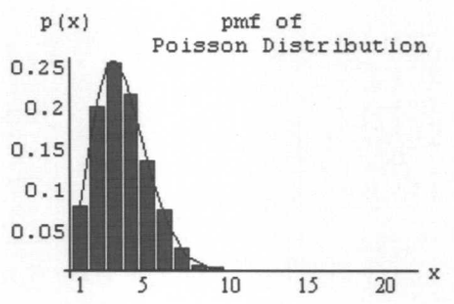
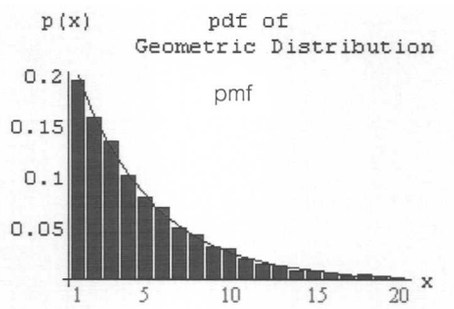
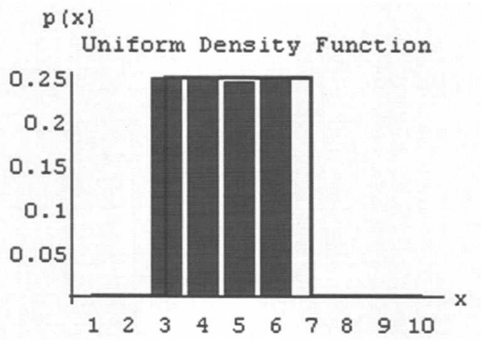


(a)

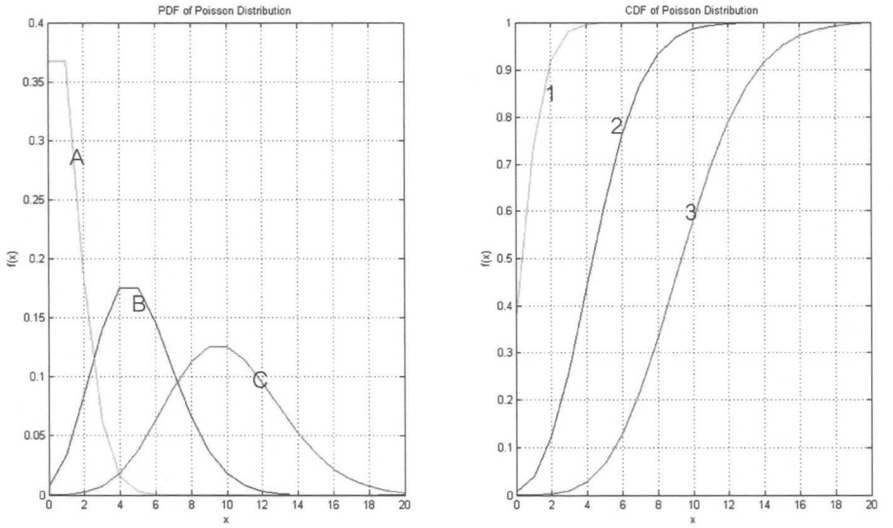


(b)



(c)

1.6 What is the probability distribution according to the below graphs? (2 marks)



(A) PDF (B) CDF

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2. A packet arrives at a transmission line every K seconds with the first packet arriving at time 0. All packets have equal length and require αK seconds for transmission what $\alpha<1$. The processing and propagation delay per packet is P seconds. The arrival rate here is $\lambda=1/K$. Please find (10 marks)
   - 2.1.1 Average time (T) the packet spent in the system.
   - 2.1.2 Average number of packets in the system (N)

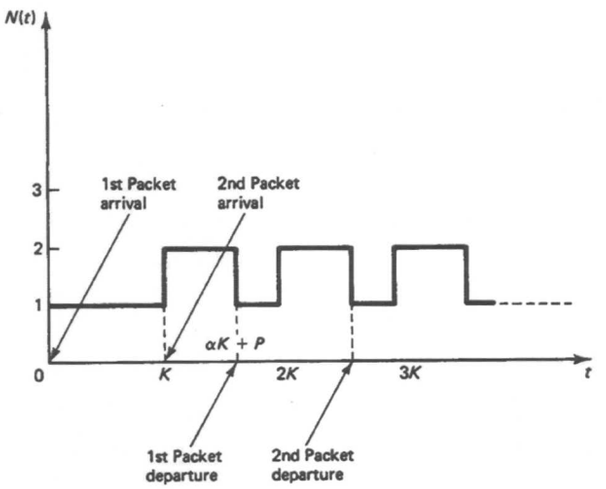
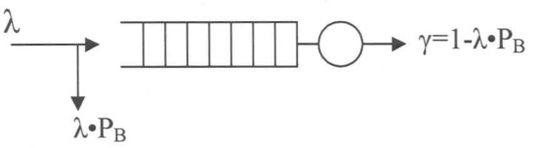


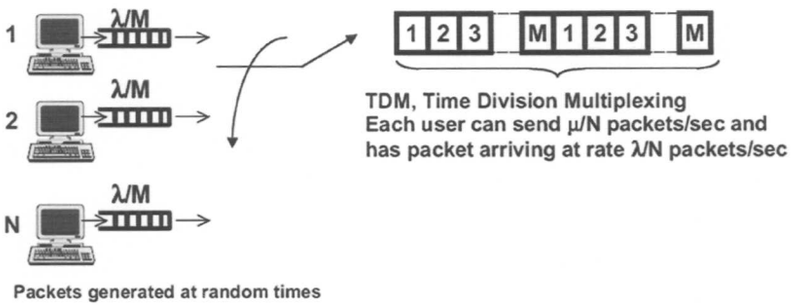
Figure 2 for question 2

3. (A) Consider queue with finite buffer *N*, FIFO service discipline and single server. If the system requires dropped packets not more than one packet every 1,000,000 packets when traffic intensity is 0.6, and packet arrival rate is 6. Determine *N*, system throughput, and probability that queue is not empty. (10 Marks)

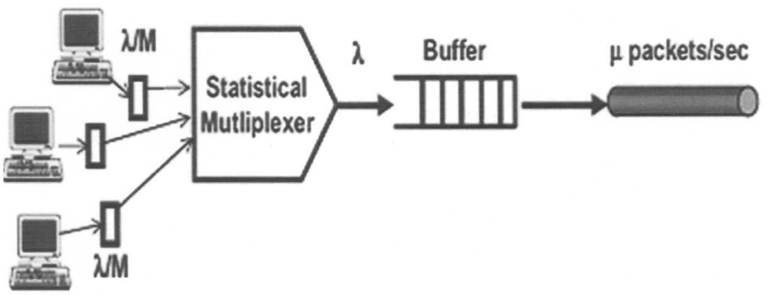


P_B = Blocking probability

4. Two systems shown below are (A) TDM (Time Division Multiplexing), and (B) SDM (Statistical Multiplexing) There are M sources with arrival rate of λ/M. in (A), TDM has M slots to carry all sources traffic. Please find the system time delay of (A) and (B) by using M/M/1. (10 Marks)



(A) Time Division Multiplexing



(B) Statistical Multiplexing

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5. ARQ Protocol Performance
   a. Stop-and-Wait ARQ Protocol performance: use the below information to answer the following question. **Calculate the efficiency of Stop-and-Wait ARQ in the system that transmits at R=1 Mbps and with reaction time of 1**

msec for channels with a *bit error rate* of 10^-6, and 10^-4 (be careful, these are not probability of the frame loss). (10 Marks)

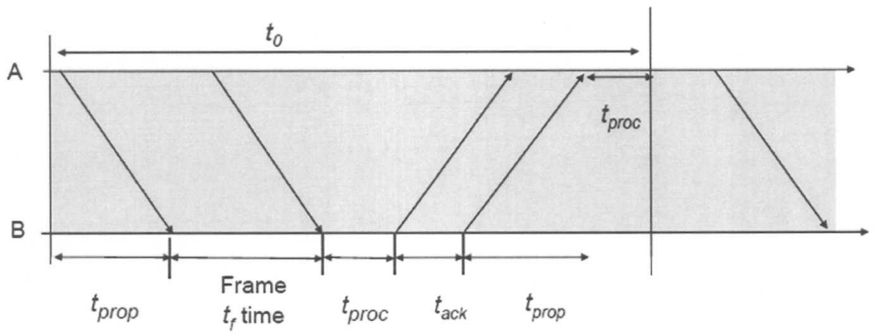

Figure 3 Delay components of Stop-and-Wait ARQ

- The basic time to send a frame and receive an ACK, in the absence of errors, is given by

$$t0 = 2tprop + 2tproc + tf + tack$$
$$= 2tprop + 2tproc + nf/R + na/R$$

Where

nf = number of bits in the information frame

na = number of bits in the ack frame

R = bit rate of the transmission channel

** The effective information transmission rate of the protocol in the absence of errors

$$Reff = (nf - n0)/t0$$

Where n0 = number of overhead bits in a frame (given by the total number of bits in the header and the number of CRC bits

- Let *Pf* be the probability that a frame transmission has errors and needs to be re-transmitted.
- The probability of no error frames is *1-Pf*

Stop-and-Wait ARQ on average requires *tSW=t0/(1-Pf)* seconds to get a frame through. Thus the efficiency of Stop-and Wait ARQ with packet loss is:

$$\eta_{SW} = \frac{\frac{n_f - n_a}{t_{SW}}}{R} \qquad \eta_{SW} = \frac{1 - \frac{n_0}{n_f}}{1 + \frac{n_a}{n_f} + \frac{2(t_{prop} + t_{proc})R}{n_f}}(1 - P_f)$$

Suppose that frames are 1,250 bytes long including 25 bytes of overhead. Also assume that ACK frame are 25 bytes long.

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6. Figure **4** shows a periodic model of TCP window dynamics in steady state. In this model, we assume that: (20 Marks)
   - A maximum window size is W,
   - A minimum window size is W/2
   - Constant Packet loss Probability is *p*
   - So, *1/p* packets are transmitted between each packet loss,
   - TCP run on steady state, so *slow start* (during start up) is not concerned.

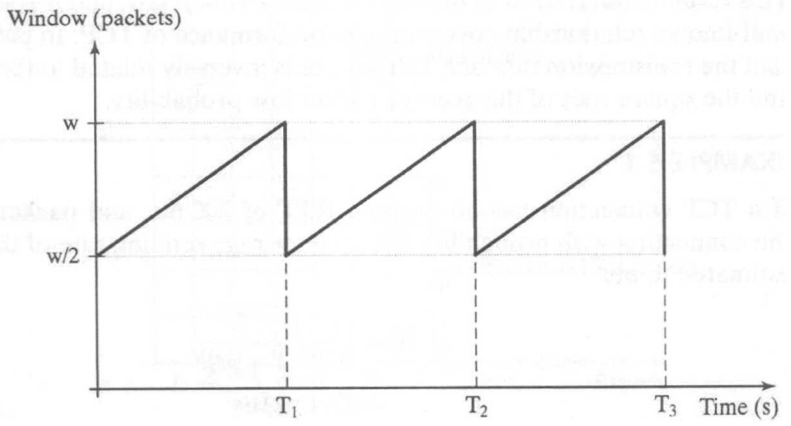

Figure 4 A periodic model of TCP window dynamic behaviour in steady state

Use the above information answer the following question

a) Prove that the number of packet transmitted during each period of window is

$$\text{Number of Pkts} = \frac{1}{2}\frac{T}{RTT}\left(\frac{W}{2} + W\right)$$

Where T is the periodic between detecting packet losses.

b) Prove that the average transmission rate in this model is

$$\frac{1}{RTT}\sqrt{\frac{3}{2p}}$$

The result is known as the ***inverse square-root p law***

c) If a TCP connection has an average round trip time of 200 ms, and packets are lost along the connection with probability 0.05, please find the average rate of the TCP source.

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The following information may be useful when students have to deal with queueing theory.

- **M/M/1**
  - **Number of Customers in the system in steady state**

$$L = \frac{\rho}{1-\rho}$$

    where L is the number of customers in the system in steady state,
    ρ is the utilisation factor or traffic intensity
  - **The mean queue length in steady state**

$$L_q = \frac{\rho^2}{1-\rho} \quad \text{or} \quad L_q = \frac{\lambda^2}{\mu(\mu-\lambda)}$$

    where L_q = mean queue length in steady state
    λ = average arrival rate
    μ = average service rate
  - **Mean waiting time in the queue in steady state**

$$W_q = \frac{\lambda}{\mu(\mu-\lambda)}$$

    where W_q is the mean waiting time in the queue in steady state

- **M/D/1**
  - **Number of Customers in the system in steady state**

$$L = \rho + \frac{\lambda^s}{2\mu^2(1-\rho)}$$

    where L is the number of customers in the system in steady state,
    ρ is the utilisation factor or traffic intensity
    μ = average service rate
  - **The mean queue length in steady state**

$$L = \frac{\lambda^s}{2\mu^2(1-\rho)}$$

- **Mean waiting time in the queue in steady state**

$$L = \frac{\lambda}{2\mu^2(1-\rho)}$$

- LOG Values:

log (0.5)	- 0.30
log (0.6)	- 0.22
log (0.7)	- 0.15
log (0.8)	- 0.10
log (0.9)	- 0.05
log (1.0)	- 0.00
log (1.1)	0.04
log (1.2)	0.08
log (1.3)	0.11
log (1.4)	0.15
log (1.5)	0.18
log (1.6)	0.20
log (1.7)	0.23
log (1.8)	0.26
log (1.9)	0.28
log (2.0	0.30
log (2.1)	0.32
log (2.2)	0.34
log (2.3)	0.36
log (2.4)	0.38
log (2.5)	0.40
log (2.6)	0.41
log (2.7)	0.43
log (2.8)	0.45
log (2.9)	0.46